



UNO

UnoSolver.jl, a unified SQP/barrier solver for nonlinearly constrained optimization

Charlie Vanaret (ZIB) Alexis Montoison (ANL / AMD)

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Lagrange-Newton methods for nonlinearly constrained optimization



$$\begin{cases} \min_{x \in \mathbb{R}^n} & f(x) \\ \text{s.t.} & c(x) = 0 \quad (\text{dual } y) \\ & x \geq 0 \quad (\text{dual } z) \end{cases} \quad (\text{NLP})$$

with $f : \mathbb{R}^n \rightarrow \mathbb{R}$ and $c : \mathbb{R}^n \rightarrow \mathbb{R}^m$ twice continuously differentiable

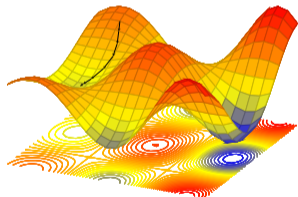
- ▶ Optimality (John) conditions at (x^*, y^*, z^*, ρ^*)

(stationarity) $\rho^* \nabla f(x^*) - \nabla c(x^*) y^* - z^* = 0$

(primal feasibility) $c(x^*) = 0, \quad x^* \geq 0$

(dual feasibility) $z_i^* \geq 0, \quad \rho^* \geq 0, \quad (y^*, z^*, \rho^*) \neq (0, 0, 0)$

(complementarity) $x_i^* z_i^* = 0, \quad \forall i \in \{1, \dots, n\}$ **combinatorial!**



Uno: a modern, modular C++ solver¹



- ▶ organize constrained optimization strategies into coherent hierarchy



- ▶ modular architecture: **strategy combinations** assembled on the fly



- ▶ reduce cost of development and maintenance of multiple solvers



- ▶ facilitate comparison of methods on given instance



- ▶ accelerate development of novel research ideas



- ▶ **presets** mimic existing solvers: ipopt (IPM), filtersqp (SQP)

¹Vanaret and Leyffer 2026. "Implementing a unified solver for nonlinearly constrained optimization". [Accepted in Mathematical Programming Computation](#).

An abstract unification framework

Most methods can be expressed as a combination of:

- ▶ reformulation layer
 - ▶ **constraint relaxation strategy** relaxes $c(x) = 0$
 - ▶ **inequality handling method** handles combinatorics of $x \geq 0$
- ▶ Lagrange-Newton subproblem about (x_k, y_k, z_k)
 - ▶ **Hessian model** approximates Lagrangian Hessian of (NLP)
 - ▶ **inertia correction strategy** corrects inertia of Hessian or KKT matrix of (RNLP)
- ▶ subproblem solver layer
 - ▶ **subproblem solver** approximately solves subproblem (curvature? inequalities? convex?)
- ▶ globalization layer
 - ▶ **globalization strategy** acceptance/rejection of trial iterate
 - ▶ **globalization mechanism** action taken upon rejection

} reformulation (RNLP)

The unified double-loop framework

Given: initial point $(x^{(0)}, y^{(0)}, z^{(0)})$

Set $k \leftarrow 0$

while (x_k, y_k, z_k) **not optimal do**

repeat

Reformulate the problem wrt $c(x) = 0$ and $x \geq 0$

Solve (sequence of) subproblem (s) about (x_k, y_k, z_k)

$$\left\{ \begin{array}{l} \min_{d \in \mathbb{R}^n} \quad \frac{1}{2} d^T H_k d + g_k^T d \\ \text{s.t.} \quad c_k + J_k d = 0 \\ \quad \quad (x_k + d \geq 0) \\ \quad \quad (\|d\| \leq \Delta_{k,l}) \end{array} \right.$$

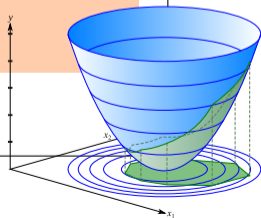
Assemble trial iterate $(\hat{x}_k, \hat{y}_k, \hat{z}_k)$

until $(\hat{x}_k, \hat{y}_k, \hat{z}_k)$ **is acceptable**

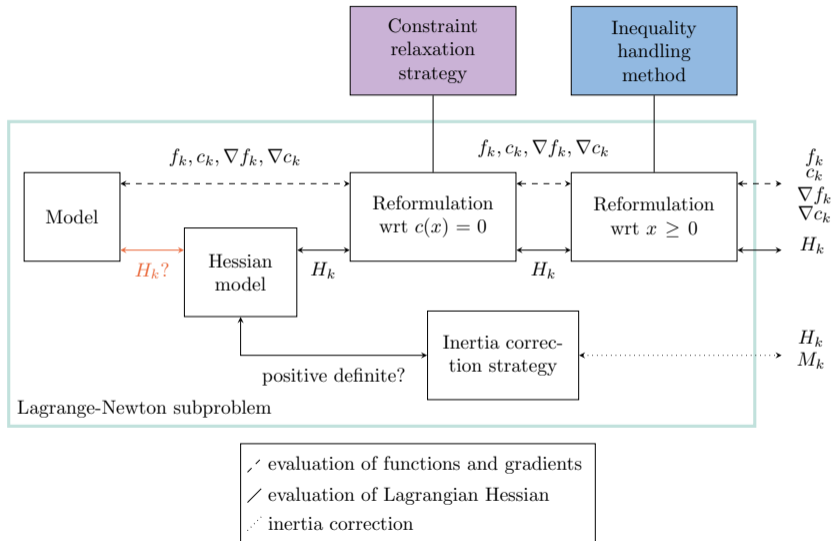
Update $(x_{k+1}, y_{k+1}, z_{k+1}) \leftarrow (\hat{x}_k, \hat{y}_k, \hat{z}_k)$

Increment k

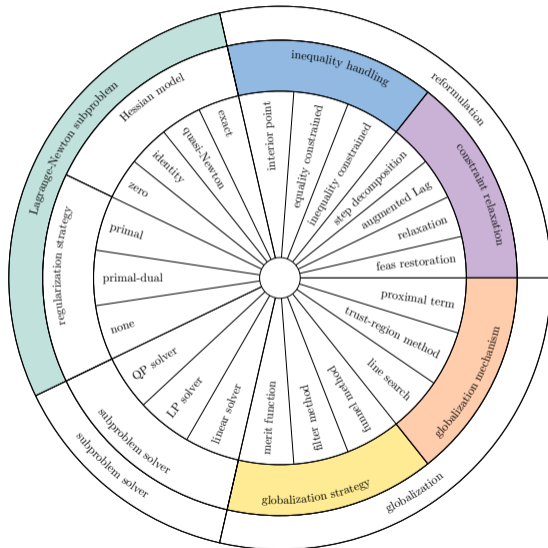
end



The Lagrange-Newton subproblem



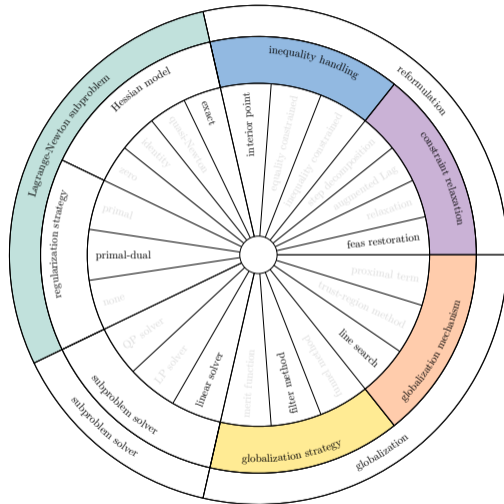
A coherent hierarchy of NLP strategies



How SQP and barrier solvers fit within the framework



(a) filterSQP



(b) IPOPT

UnoSolver.jl

UnoSolver.jl is a registered Julia package

- ▶ thin wrapper around complete C API
- ▶ interface to MathOptInterface.jl for handling JuMP models
- ▶ interface to NLPModels.jl (e.g., ExaModels.jl and CUTEst.jl models)

```
pkg> add UnoSolver  
julia> using UnoSolver
```

Features of UnoSolver.jl

UnoSolver.jl ships with:

- ▶ BQPD: a nullspace active-set nonconvex QP solver (BQPD_jll)
- ▶ the HiGHS LP solver (HiGHS_jll)
- ▶ MUMPS (MUMPS_seq_jll)
- ▶ SSIDS (SPRAL_jll)
- ▶ an option to use libHSL by hot-swapping HSL_jll

Uno_jll.jl compiled with demuxer libblastrampoline_jll

- ▶ switch between BLAS and LAPACK backends at runtime (OpenBLAS, Intel MKL, Apple Accelerate)

An efficient MOI interface

- ▶ functions to set single component of x_0 or bounds
- ▶ relevant when the problem barely changes between two solves

Solving with UnoSolver.jl

```
using UnoSolver, JuMP

model = Model(() -> UnoSolver.Optimizer(preset="filtersqp"))

@variable(model, x <= 0.5, start = -2);
@variable(model, y, start = 1);

@objective(model, Min, 100 * (y - x^2)^2 + (1 - x)^2);

@constraint(model, x*y >= 1);
@constraint(model, x + y^2 >= 0);

optimize!(model)
```

hs015: experimenting with various methods

```
model = Model(() -> UnoSolver.Optimizer(preset="filtersqp"))
```

Objective evaluations: 8

hs015: experimenting with various methods

```
model = Model(() -> UnoSolver.Optimizer(preset="filtersqp"))
```

Objective evaluations: 8

```
model = Model(() -> UnoSolver.Optimizer(preset="ipopopt"))
```

Objective evaluations: 22

hs015: experimenting with various methods

```
model = Model(() -> UnoSolver.Optimizer(preset="filtersqp"))
```

Objective evaluations: 8

```
model = Model(() -> UnoSolver.Optimizer(preset="ipop"))
```

Objective evaluations: 22

```
model = Model(() -> UnoSolver.Optimizer(preset="filtersqp", hessian_model="LBFGS"))
```

Objective evaluations: 5

hs015: experimenting with various methods

```
model = Model(() -> UnoSolver.Optimizer(preset="filtersqp"))
```

Objective evaluations: 8

```
model = Model(() -> UnoSolver.Optimizer(preset="ipopst"))
```

Objective evaluations: 22

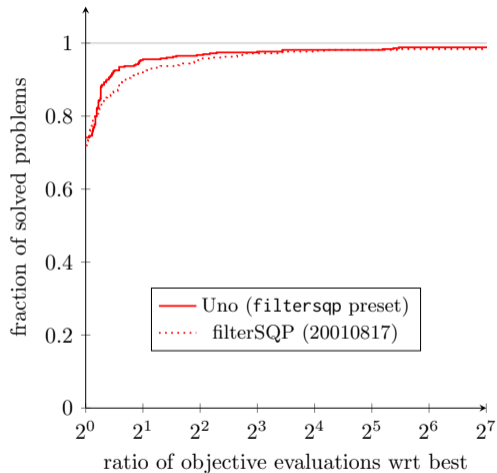
```
model = Model(() -> UnoSolver.Optimizer(preset="filtersqp", hessian_model="LBFGS"))
```

Objective evaluations: 5

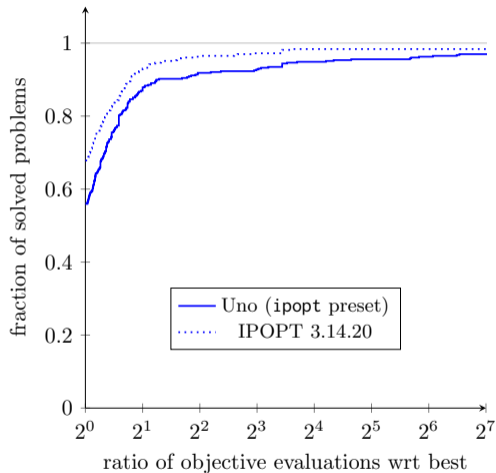
```
model = Model(() -> UnoSolver.Optimizer(preset="ipopst", globalization_strategy="funnel_method"))
```

Objective evaluations: 21

Performance profile vs filterSQP and IPOPT on 429 small CUTE instances

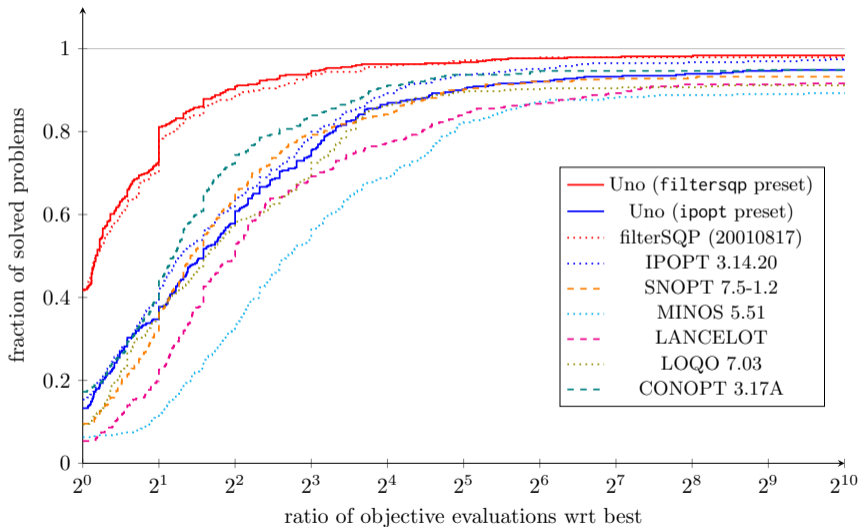


(a) Uno filtersqp vs filterSQP



(b) Uno ipopt vs IPOPT

Performance profile of Uno vs SNOPT, MINOS, LANCELOT, LOQO, CONOPT



Success stories



franckgaga

2  Nov 2025

I just tested [UnoSolver.jl](#) with `filtersqp`, a multiple shooting transcription, and exact Hessian computed by sparse [ForwardDiff.jl](#) on the inverted pendulum case study (unstable system + highly nonlinear/nonconvex). It's about 2.1 times faster than [Ipopt.jl](#), all other things being equal.



baggepinnen

Nov 2025

I just tried Uno with the `filtersqp` present as the inner optimizer for a mixed-integer MPC problem, it was 6x faster despite using tighter tolerances than `Ipopt`. What a nice addition to the julia optimizer ecosystem 😊



cgeoga

Dec 2025

That algorithm 4 in KNITRO really was a workhorse for me, but `uno` with the `filtersqp` preset has worked so well for me that I have very happily given up my KNITRO license.

Current and future developments (1/2)

- ▶ TRON-like solver for bound-constrained QP
 - ▶ Gauss-Newton feasibility problem
 - ▶ BCL
- ▶ interface Alexis' Krylov.jl (shared library + C interface)
- ▶ KNITRO-IPM implementation
 - ▶ Byrd-Omojokun (trust-region step decomposition) framework
 - ▶ exploit negative curvature
- ▶ exploit optimal control structure (with D. Kießling)
- ▶ adapt for reoptimization by recycling internal workspaces
 - ▶ MINLP
 - ▶ InfiniteOpt.jl

Current and future developments (2/2)

Alternative to log barrier: exponential(-multiplier) function² for some multiplier estimates $w \geq 0$:

$$\min_{x \in \mathbb{R}^n} \psi(x, w, \mu) := f(x) + \mu \sum_{j=1}^m w_j \exp(-c_j(x)/\mu),$$

and build sequence $\{(\mu_k, w_k)\}$ with decreasing μ . No step truncation required

Notice:

- ▶ $y(x, w, \mu) := w \exp(-c(x)/\mu)$ converge to Lagrange multipliers
- ▶ if we pick w to approach $y > 0$, $\exp(-c(x)/\mu) \rightarrow 1$ therefore $c(x) \rightarrow 0$
- ▶ $y_j(x, w, \mu)$ converges exponentially fast to 0 for inactive constraints $c_j(x) > 0$ if $\mu \rightarrow 0^+$

²Kort and Bertsekas 1973. "Multiplier methods for convex programming".

Takeaway

- ▶ Uno **abstracts the workflows** of (most) Lagrange-Newton methods
 - ▶ coherent hierarchy of optimization strategies
 - ▶ powerful way to combine strategies on the fly
- ▶ experimentation lab to quickly implement and connect new strategies
- ▶ transitioning from proof of concept to efficient solver
- ▶ ultimately unlock more complex classes of problems (robust, MINLP, MPCC)



Try out Uno on your favorite problem and give us some feedback
<https://github.com/cvanaret/Uno>



Special thanks to contributors

Oscar Dowson Marcel Jacobse Arnav Kapoor David Kießling Rujia Liu
Stefano Lovato Manuel Schaich Silvio Traversaro



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